Abstract: In 1940 Paul Erdos and Mark Kac proved that the number of prime factors of a randomly chosen large integer of size $x$ is distributed like a normal distribution of mean $\log \log x$ and variance $\log \log x$. In particular, a typical integer with 64 digits has five prime factors. I'll explain parts of the proof.

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